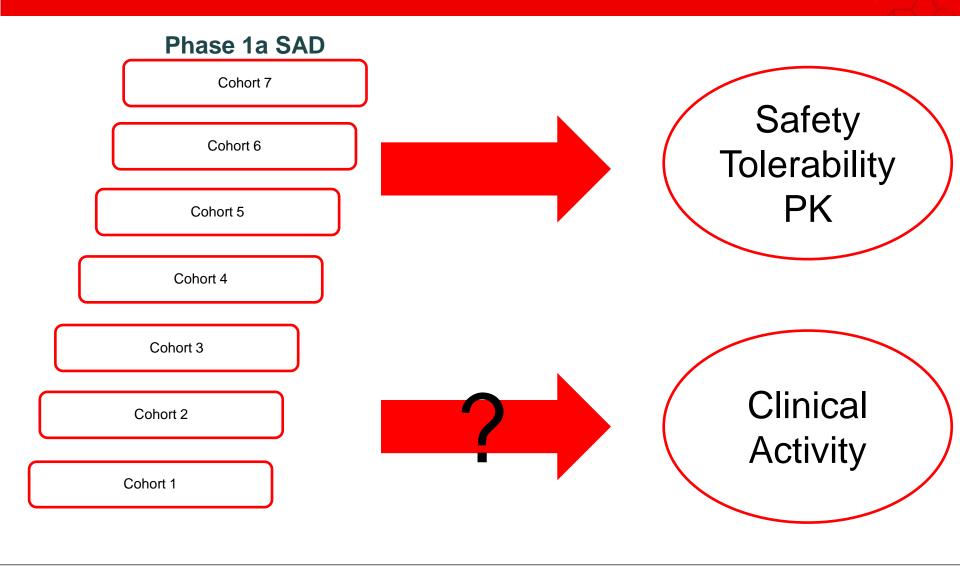
# Looking for Clinical Activity in a First-in-Human Study

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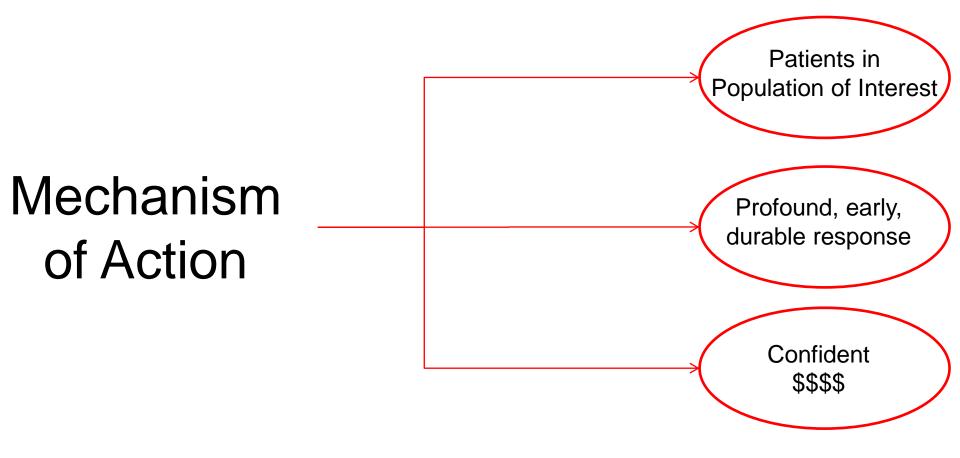
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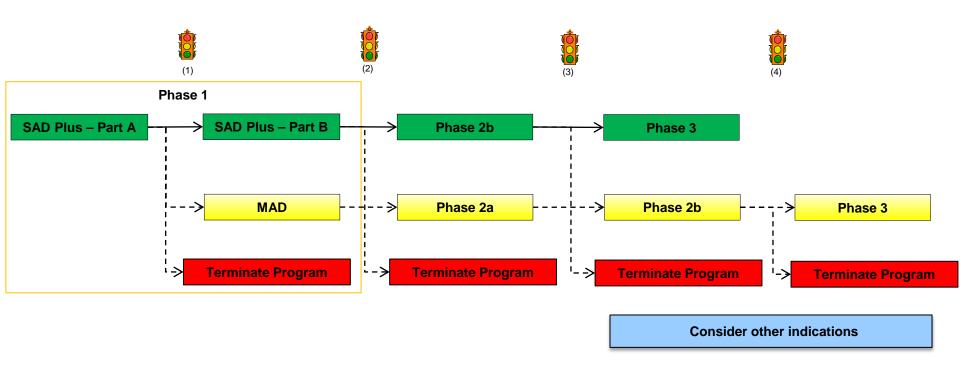
#### Introduction



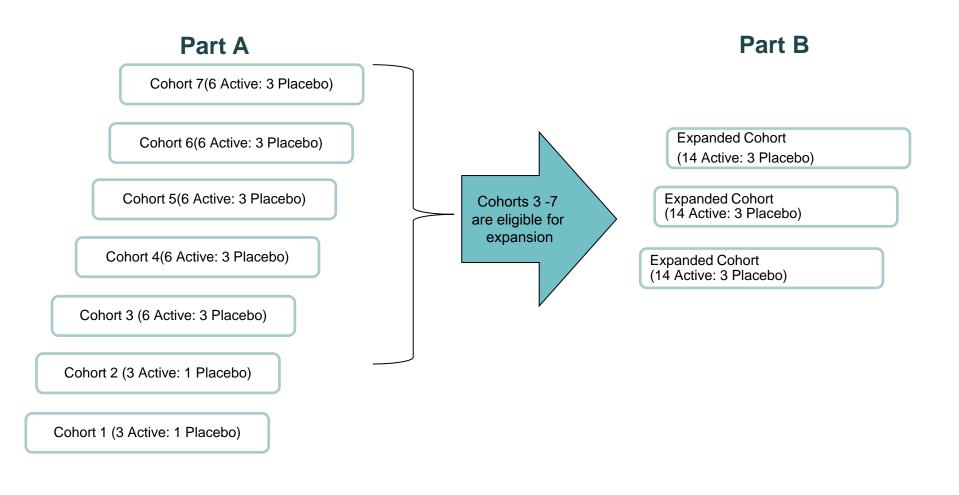
#### **Background Information**



### **Adaptive Development Plan**



### Phase 1: SAD Plus Design



# **Cohort Expansion Criteria**

Endpoints	Target Threshold		
Endpoint 1 (Disease Activity)	≥ 0.6 Reduction (Continuous)	2 of 3 target thresholds must be met by at least 3 of 6 patients	
Endpoint 2 (Disease Activity)	≥ 20% Reduction (Continuous)	on active treatment at any timepoint during 4 weeks of treatment (data collected at weeks 1, 2, and 4)	
Endpoint 3 (PD Marker)	Within normal range (Binomial)		

# **Continuous Longitudinal Model (1)**

Longitudinal improvement was modeled as a fraction of the final improvement.

$$y_{i,t} \sim N(f_t(\mu_j + \delta_i), \varphi_t^2 \sigma_j^2) = N(f_t \mu_j, \varphi_t^2 \sigma_j^2 + f_{t^2} \tau^2)$$
$$\delta_i \sim N(0, \tau^2)$$
$$y_{i,T} \sim N(\mu_j, \sigma_j^2 + \tau^2)$$

 $y_{i,T}$  is the final primary outcome for patient i  $\sigma_j^2 + \tau^2$  is the variance for the final outcome  $\mu_j$  is the mean of the final outcome  $\varphi_t^2$  is the variance at visit t in terms of the fraction of the final variance  $(0 \le \varphi_t^2 \le 1)$   $f_t$  is the mean at visit t in terms of the fraction of the final mean  $(0 \le f_t \le 1)$ 

# **Continuous Longitudinal Model (2)**

<i>i<sup>th</sup></i> Patient	Visit 1	Visit 2	Visit 3	Final Visit
1	<i>Y</i> <sub>11</sub>	<i>y</i> <sub>12</sub>	<i>y</i> <sub>13</sub>	$Y_1$
2	<b>y</b> <sub>21</sub>	<b>y</b> <sub>22</sub>	<b>y</b> <sub>23</sub>	$Y_2$
3	<b>y</b> <sub>31</sub>	<i>y</i> <sub>32</sub>	<i>y</i> <sub>33</sub>	$Y_3$
4	<b>Y</b> <sub>41</sub>	<b>y</b> <sub>42</sub>	<b>y</b> <sub>43</sub>	$Y_4$
5	<b>y</b> <sub>51</sub>	<b>y</b> <sub>52</sub>	<b>y</b> <sub>53</sub>	$Y_5$
6	<b>Y</b> <sub>61</sub>	<b>y</b> <sub>62</sub>	<b>y</b> <sub>63</sub>	$Y_6$

Based on desired fraction of final response, simulate values for visits 1-3

Simulate value for final visit

### **Binomial Longitudinal Model (1)**

For the first visit:

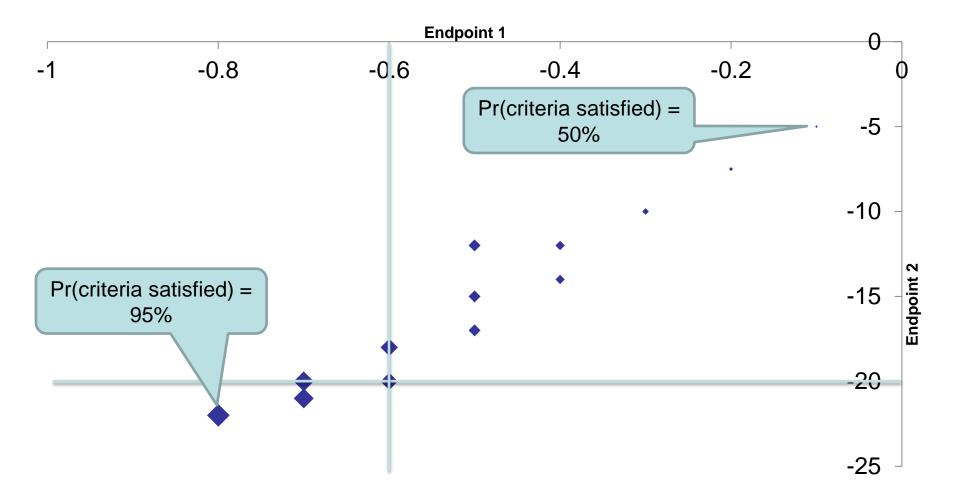
$$P(y_1 = 1) = Q_1$$

For subsequent visits:

$$P(y_t = 1|y_{t-1} = 0) = Q_t$$
  
 $P(y_t = 1|y_{t-1} = 1) = R_t$ 

Where  $Q_t$  and  $R_t$  are matrices containing transition probabilities from 0 to 1 and from 1 to 1, respectively.

#### Simulated Values and Resulting Probabilities



#### Part B Success Criteria

Endpoint 1: ≥ 1.2 absolute change from baseline
 If Pr(Therapy ≥ 1.2) ≥ 60% then success

Endpoint 2: ≥ 30% decrease from baseline
 If Pr(Therapy - PBO ≥ 0.30) ≥ 60% then success

Part B success criteria evaluated based on data collected at weeks 1, 2, 4, and 8.

#### Part B Dose Modeling

• Let  $R_i$  be the change from the baseline period to the endpoint in the response. Let  $\theta_d$  be the mean response for  $R_i$  when  $d_i = d$ . It was assumed that

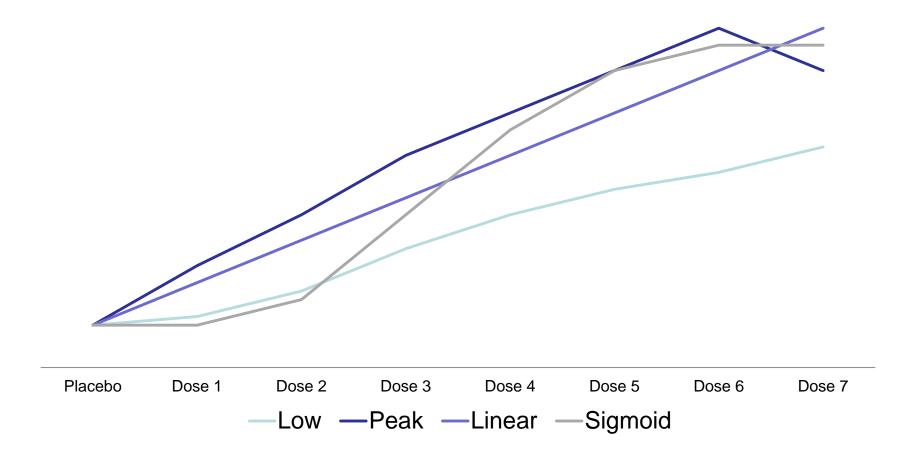
$$R_i \sim \theta_{d_i} + N(0, \sigma^2)$$

• Doses were modeled assuming  $\theta_d \sim N(\mu_d, v_d^2)$  and

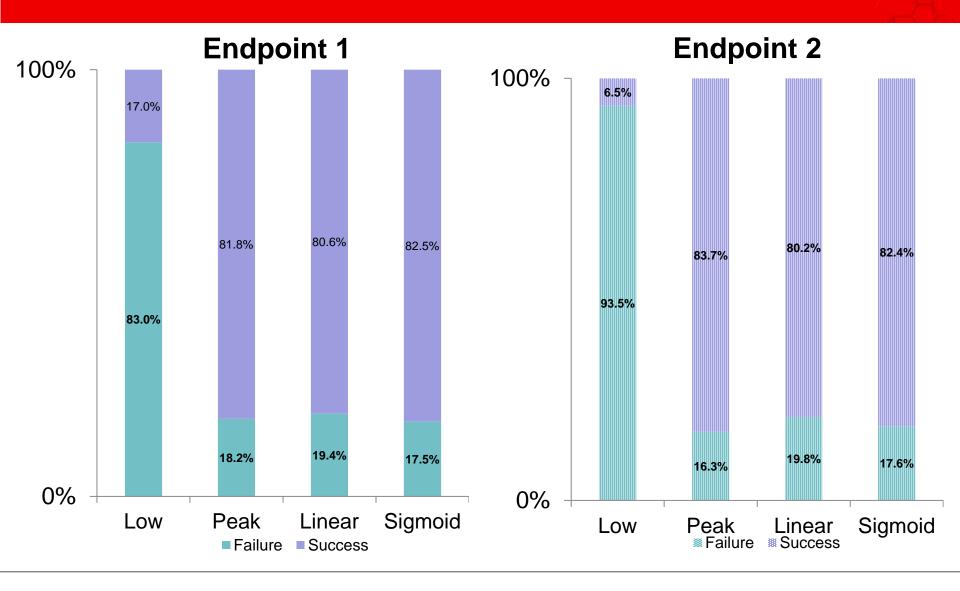
$$\sigma^2 = IG\left(\frac{\sigma_n}{2}, \frac{{\sigma_\mu}^2 \sigma_n}{2}\right)$$

• Priors for endpoints 1 and 2 were diffuse with  $\mu_d=0,\ v_d=100,$   $\sigma_\mu=12,$  and  $\sigma_n=1.$ 

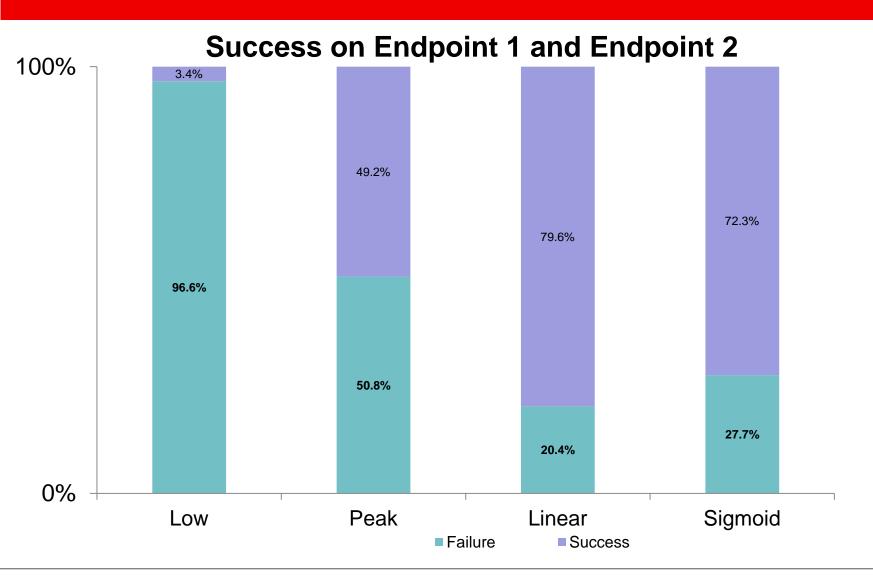
### **Dose Response Curves**



#### **Probabilities of Success (1)**



## **Probabilities of Success (2)**



# **Concluding Remarks**

